

PHYS 232

Jan. 10, 2024

Modern Physics Laboratory

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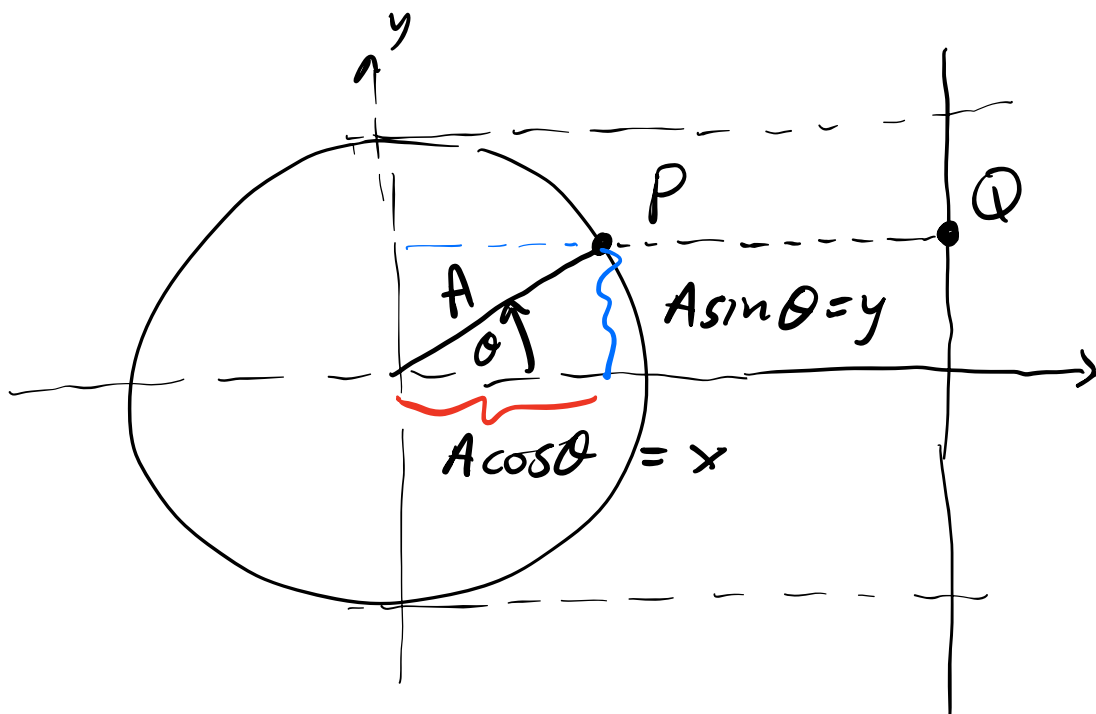
SCI 266

Course website:

<https://cmps-people.ok.ubc.ca/jbobowsk/phys232.html>

To do: Sign up for Experiment # 1
before 11:00 am on Friday, Jan. 12.
Go to PHYS 232 Canvas page to
find a link to the online sign-up
sheet.

Simple Harmonic Motion Review.



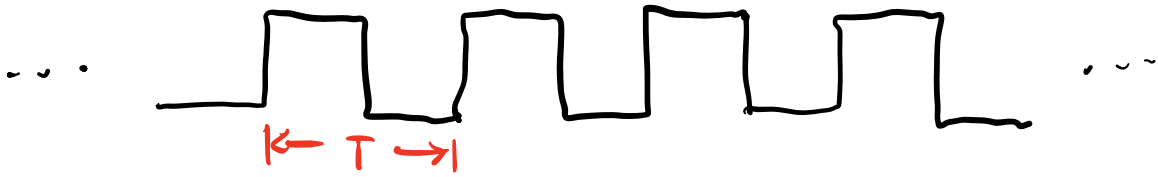
angle @ $t=0$.
 $\theta = \omega t + \phi$ for uniform circular motion.

$$\begin{aligned} \therefore x &= A \cos(\omega t + \phi) \\ y &= A \sin(\omega t + \phi) \end{aligned} \left. \vphantom{\begin{aligned} x &= A \cos(\omega t + \phi) \\ y &= A \sin(\omega t + \phi) \end{aligned}} \right\} \text{motion of pt. } P$$

gives position of Q (shadow of P)

Simple Harmonic motion is describe
by back & forth (sinusoidal) motion of
a pt.

Goal: Express a periodic fcn:



as a series of pure sine & cosine fcn's.

That is, we will attempt to express a periodic fcn $f(x)$ in the form:

$$f(x) = \frac{a_0}{2} + a_1 \cos x + a_2 \cos 2x + a_3 \cos 3x \\ + \dots + b_1 \sin x + b_2 \sin 2x + b_3 \sin 3x \\ + \dots$$

Need a prescription for finding the values

of the a_n & b_n coefficients.