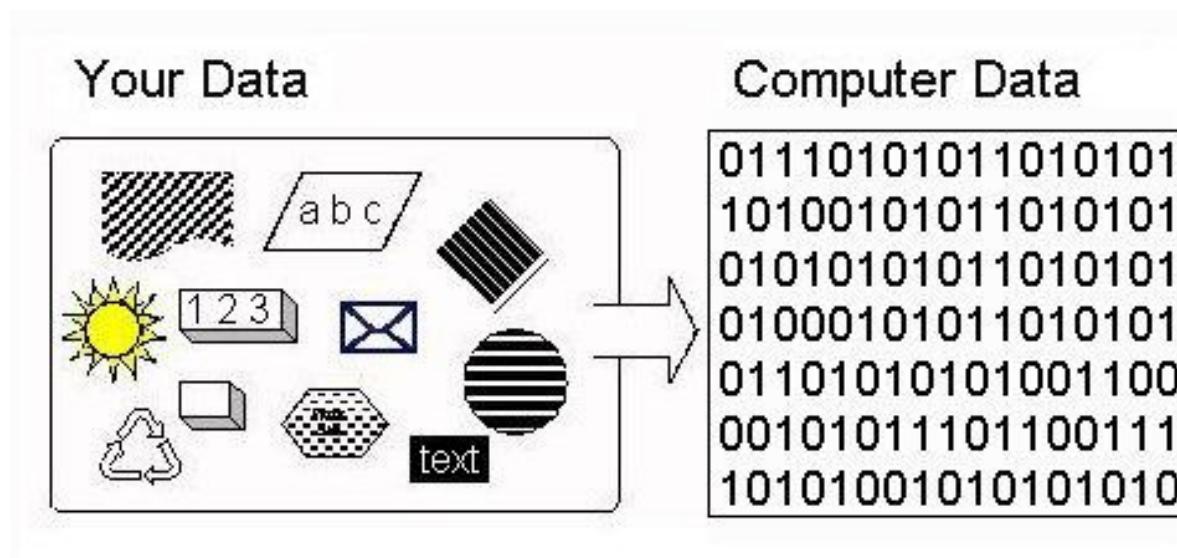


# COSC 122: Computer Fluency

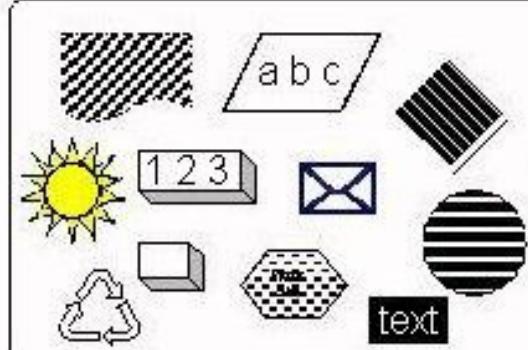


# How do Computers Represent Data?



# How do Computers Represent Data?

Your Data



analog data

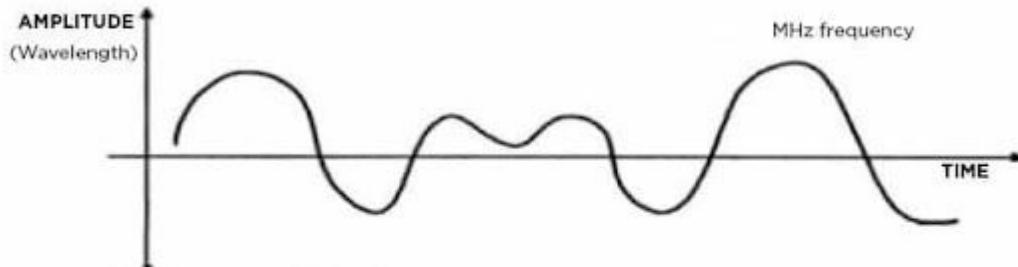
Computer Data

```
01110101011010101  
10100101011010101  
01010101011010101  
01000101011010101  
01101010101001100  
00101011101100111  
10101001010101010
```

digital (binary) data

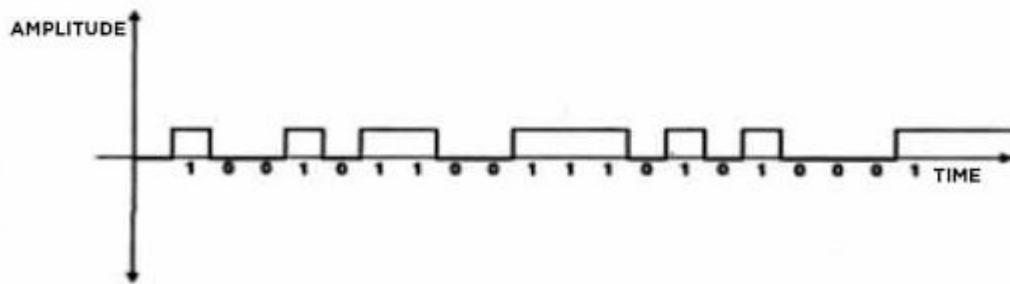
# Visual Difference

## ANALOG SIGNAL



continuous

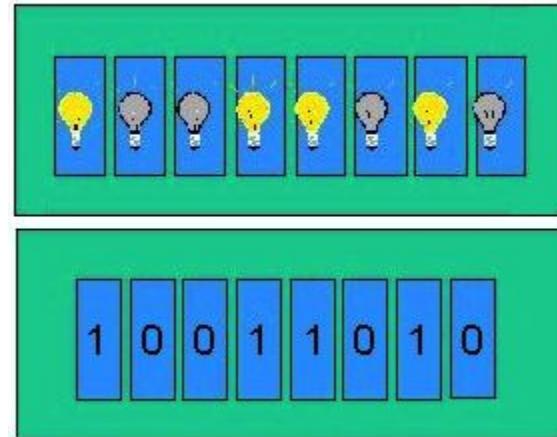
## DIGITAL SIGNAL



discrete

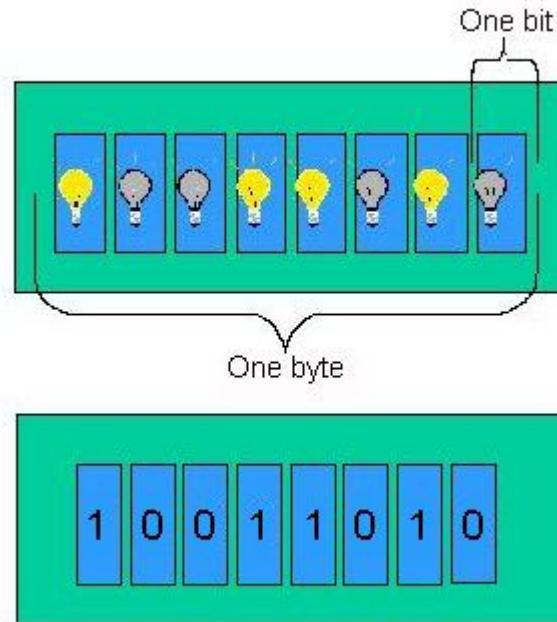
# Why Binary?

- Computers use a binary system (two digits: 0 and 1)
- System is ideal because it can be physically represented by electrical states
  - Transistors act as **switches**
  - An **"on" transistor** represents a 1, allowing electrical current to flow.
  - An **"off" transistor** represents a 0, blocking the electrical current.



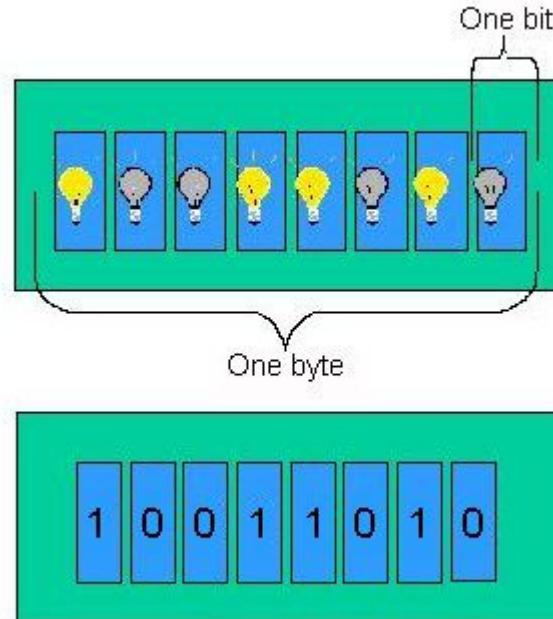
# Binary Representation

- Combinations of these binary digits are used to represent more complex information
- Each digit is called a **bit**
- Can we count beyond 2?
  - $0 \rightarrow 0$
  - $1 \rightarrow 1$
  - $2 \rightarrow ?$



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- Each digit is called a **bit**
- Can we count beyond 2?
  - $0 \rightarrow 0$
  - $1 \rightarrow 1$
  - $2 \rightarrow ?$
- Put more digits together (next slide)
- Each chunk of 8 digits is called a **byte**



# Decimal to Binary

- Our number system is called **decimal (base 10)**
  - Each **digit** (position in a number) represents a power of 10
  - E.g.  $345 = (3 \times 100) + (4 \times 10) + (5 \times 1)$   
 $= (3 \times 10^2) + (4 \times 10^1) + (5 \times 10^0)$
  - Larger number corresponds to multiplying 10 with a higher exponent

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 $11 = (1 \times 2^1) + (1 \times 2^0) = 2 + 1 \rightarrow 3$

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 $100 = (1 \times 2^2) + (0 \times 2^1) + (0 \times 2^0) = 4 + 0 + 0 \rightarrow 4$   
...

# Common Numbers

Decimal	Binary
0	0
1	1
2	10
3	11
4	100
5	101
6	110
7	111

Decimal	Binary
8	1000
10	1010
20	10100
40	101000
80	1010000
100	1100100
1000	1111101000
...	



# How to Convert?

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- Answer: 11
- Show your work:

$$1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0 = 8 + 2 + 1 = 11$$

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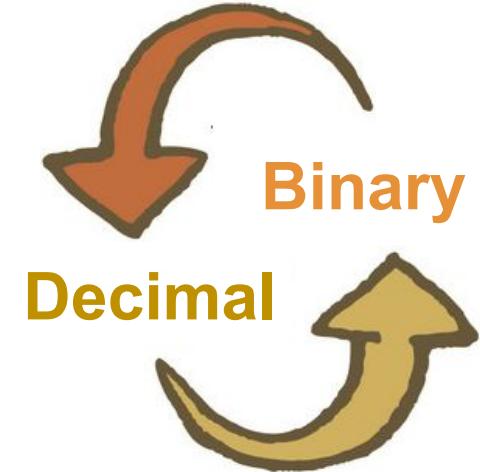
- Answer: 42

- Show your work:

$$\begin{aligned}0 \times 2^7 + 0 \times 2^6 + 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 0 \times 2^0 \\= 1 \times 2^5 + 1 \times 2^3 + 1 \times 2^1 \\= 32 + 8 + 2 = 42\end{aligned}$$

# Conversion Rule from Binary to Decimal

- Identify the binary number to convert
- Assign powers of 2 from right to left
  - Rightmost digit is  $2^0$
  - The next digit to the left is  $2^1$
  - The next digit to the left is  $2^2$
  - etc.
- Multiply each digit of the binary number with the corresponding power of 2
- Sum up the results



# The Other Direction?

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- Answer: 1101
- Show your work:

$$13 \div 2 = 6 \text{ remainder } 1$$

$$6 \div 2 = 3 \text{ remainder } 0$$

$$3 \div 2 = 1 \text{ remainder } 1$$

$$1 \div 2 = 0 \text{ remainder } 1$$

Write remainders in reverse: 1101

- Check:  $1 \times 2^3 + 1 \times 2^2 + 1 \times 2^0 = 8 + 4 + 1 = 13$

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Write remainders in reverse: 1101

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- Answer: 111 1011
- Show your work:

$123 \div 2 = 61$  remainder 1

$61 \div 2 = 30$  remainder 1

$30 \div 2 = 15$  remainder 0

$15 \div 2 = 7$  remainder 1

$7 \div 2 = 3$  remainder 1

$3 \div 2 = 1$  remainder 1

$1 \div 2 = 0$  remainder 1

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$$15 \div 2 = 7 \text{ remainder } 1$$

$$7 \div 2 = 3 \text{ remainder } 1$$

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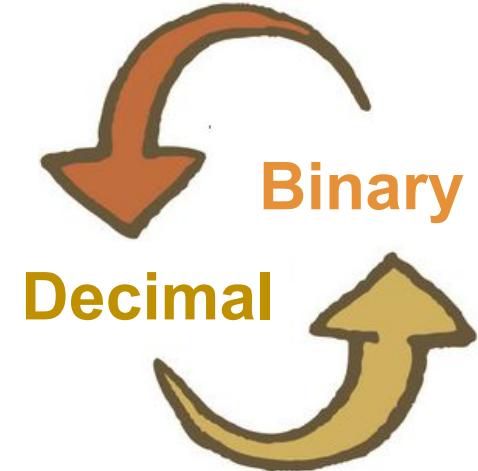
$$1 \div 2 = 0 \text{ remainder } 1$$

Write remainders in reverse: 1111011

- Check:  $1 \times 2^6 + 1 \times 2^5 + 1 \times 2^4 + 1 \times 2^3 + 1 \times 2^1 + 1 \times 2^0$   
 $= 64 + 32 + 16 + 8 + 2 + 1 = 123$

# Conversion Rule from Binary to Decimal

- Identify the decimal number to convert
- Repeatedly divide the number by 2 until answer is 0
- Keep track the remainder each time (0 or 1)
- Write the remainders in reverse

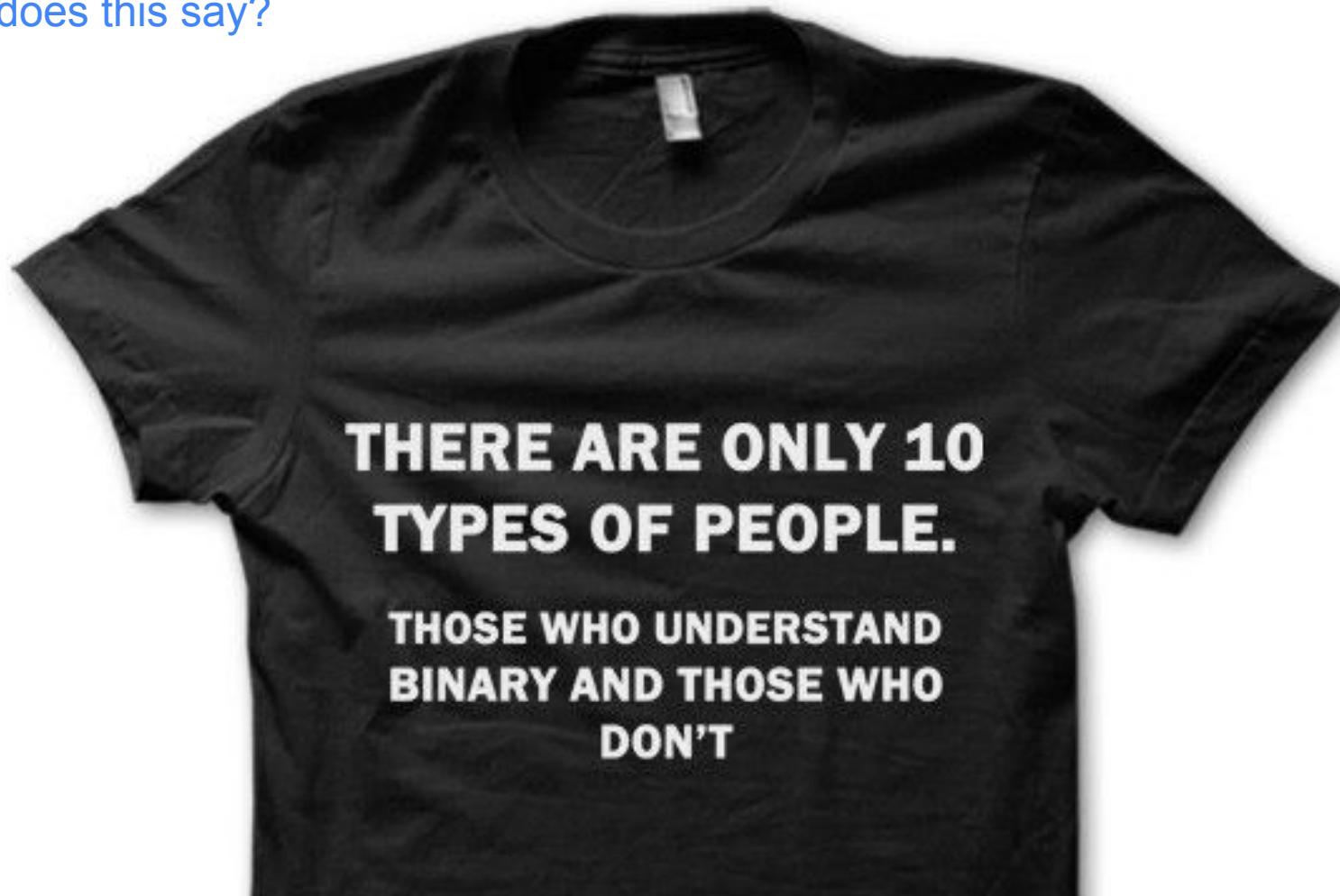


What does this say?



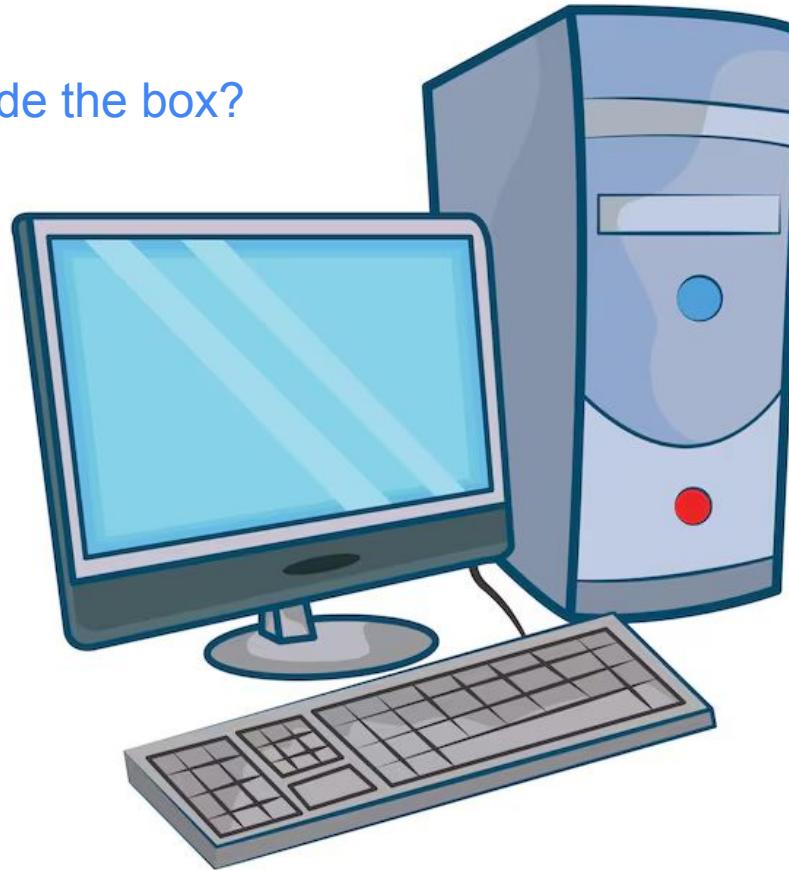
**THERE ARE ONLY 10  
TYPES OF PEOPLE.**

What does this say?



# Taking a Step Back ...

What's inside the box?



# What's Inside the Computer Box?

## PROCESSOR

- (Under the heatsink)

## MEMORY

- RAM

## STORAGE

- (Optical drive)

## MOTHERBOARD

- With ports

## GRAPHICS CARD

## POWER SUPPLY

- Converts electricity so it can be used by the components

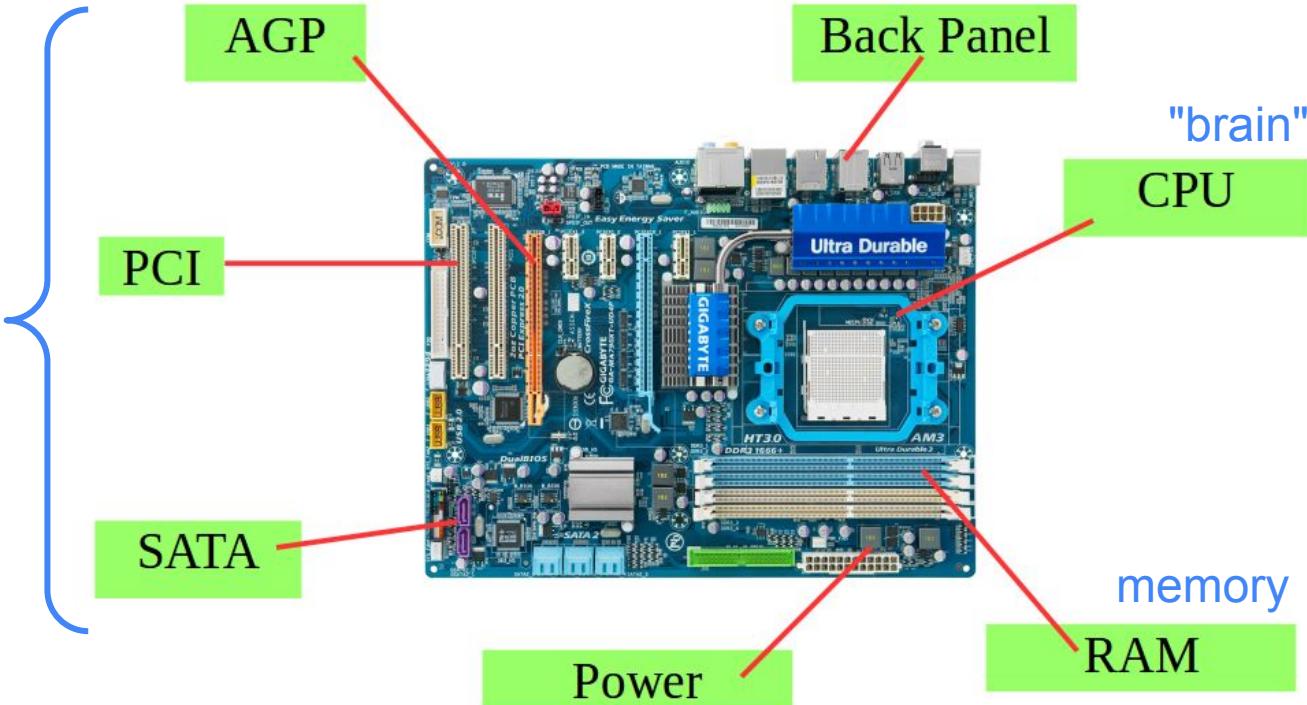


## STORAGE

- Hard drive

# Zooming into the Motherboard

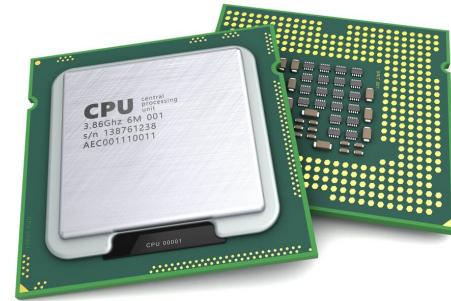
various  
slots to  
connect to  
other  
hardware



provides power to connected component

# Using the Numbers

- CPU (central processing unit) is the computer's brain
- Basic operations:
  - Arithmetic (add, subtract, multiply, divide)
  - Logical operations (and, or, not, xor)
  - Data movement (load, store, move)
  - Bit shifting and rotation (shift left, shift right, wrap around)
  - Comparisons (equal, less than, greater than)
  - Control flows (jump/branch, call/return)
- Fundamental concepts to all programming



# Adding Binary Numbers

- Works the same way as addition with decimal numbers
- Example:

$$\begin{array}{r} 10010111 \\ + 01100110 \\ \hline \end{array}$$

- Add one digit at a time from right to left
- If adding two values is bigger than the base max value, carry 1 to next digit

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- Example:

$$\begin{array}{r} & 1 & 1 & & & & \\ & (carries) & & & & & \\ 1 & 0 & 0 & 1 & 0 & 1 & 1 & 1 \\ + & 0 & 1 & 1 & 0 & 0 & 1 & 1 & 0 \\ \hline & 1 & 1 & 1 & 1 & 1 & 1 & 0 & 1 \end{array}$$

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- Example:

$$\begin{array}{r} 11 \\ (carries) \\ 10010111 \\ + 01100110 \\ \hline 11111101 \end{array}$$

How about?

$$\begin{array}{r} 1011 \\ + 0110 \\ \hline \end{array}$$

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- Add one digit at a time from right to left
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# Number Systems

Number System	Base	Digits/Letters used
Binary Number System	Base: 2	0, 1
Decimal Number System	Base: 10	0, 1, 2, 3, 4, 5, 6, 7, 8, 9
Hexadecimal Number System	Base: 16	0, 1, 2, 3, 4, 5, 6, 7, 8, 9 A, B, C, D, E, F

# Hexadecimal Representation (Base 16)

- Compact and more human-friendly representation of binary data
- Hex is short for hexadecimal
- 16 values: 0 1 2 3 4 5 6 7 8 9 A B C D E F

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Binary:  $2^8 = 256$

Decimal:  $10^8 = 100,000,000$

Hexadecimal:  $16^8 = 4,294,967,296$

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Binary:  $2^8 = 256$

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Hexadecimal:  $16^8 = 4,294,967,296$

- **Physical computer addresses** use hexadecimal representation:  
04-33-C2-F8-EA-7C

# From Binary to Hexadecimal

- The 32 bits here represent a computer instruction:  
1000 1110 1101 1000 1010 0011 1010 0000

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1010 0000

A 0

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0011 1010 0000  
3 A 0

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1000 1110 1101 1000 1010 0011 1010 0000  
8 E D 8 A 3 A 0  
→ 8E D8 A3 A0
- Hex is easier to read and write
- Each hex digit corresponds to a 4-bit binary sequence  
e.g. 11 (decimal) = 1011 (binary) = B (hex)

# Table of 3 Systems

- Mapping across decimal, binary, and hexadecimal

Decimal (base 10)	Binary (base 2)	Hexadecimal (base 16)
0	0000	0
1	0001	1
2	0010	2
3	0011	3
4	0100	4
5	0101	5
6	0110	6
7	0111	7
8	1000	8
9	1001	9
10	1010	A
11	1011	B
12	1100	C
13	1101	D
14	1110	E
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$$32 \div 2 = 16 \text{ remainder } 0$$

... etc.

→100000

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- What is 32 (decimal) in binary?  
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... etc.  
 $\rightarrow 100000$
- What is 32 (decimal) in hex?

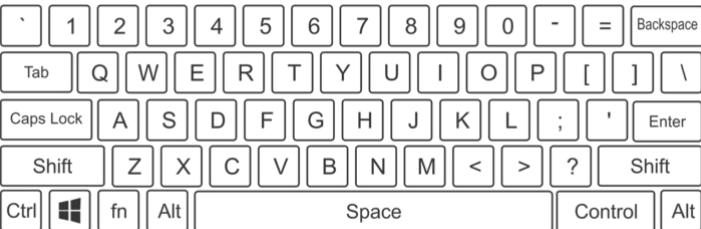
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# Table of 3 Systems

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- What is 32 (decimal) in binary?  
 $32 \div 2 = 16$  remainder 0  
... etc.  
 $\rightarrow 100000$
- What is 32 (decimal) in hex?  
10 0000 (binary)  
0010 0000 (padding)  
 $\rightarrow 20$

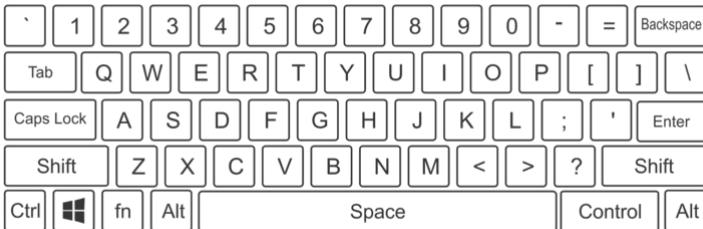
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5	0101	5
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10	1010	A
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# ASCII Table



- In fact, all other input characters get their own special mapping!

# ASCII Table



- In fact, all other input characters get their own special mapping!
- **ASCII** = the American standard code for information interchange
- Invented in 1963
- Advantages of a standard:
  - Computer parts built by different manufacturers can be connected
  - Programs can create data and store it so that other programs can process it later
- **7-bit ASCII encoding** handles:
  - All basic letters (upper and lower case)
  - All numbers, punctuation marks, and special characters

# ASCII Table Mapping

- Uses 7-bit encoding
- 7 bits gives  $2^7 = 128$  possible symbols

Dec	Name	Char	Dec	Char	Dec	Char	Dec	Char
0	Null	NUL	32	Space	64	®	96	‘
1	Start of heading	SOH	33	!	65	A	97	a
2	Start of text	STX	34	”	66	B	98	b
3	End of text	ETX	35	#	67	C	99	c
4	End of xmit	EOT	36	\$	68	D	100	d
5	Enquiry	ENQ	37	%	69	E	101	e
6	Acknowledge	ACK	38	&	70	F	102	f
7	Bell	BEL	39	‘	71	G	103	g
8	Backspace	BS	40	(	72	H	104	h
9	Horizontal tab	HT	41	)	73	I	105	i
10	Line feed	LF	42	*	74	J	106	j
11	Vertical tab	VT	43	+	75	K	107	k
12	Form feed	FF	44	,	76	L	108	l
13	Carriage feed	CR	45	-	77	M	109	m
14	Shift out	SO	46	.	78	N	110	n
15	Shift in	SI	47	/	79	O	111	o
16	Data line escape	DLE	48	0	80	P	112	p
17	Device control 1	DC1	49	1	81	Q	113	q
18	Device control 2	DC2	50	2	82	R	114	r
19	Device control 3	DC3	51	3	83	S	115	s
20	Device control 4	DC4	52	4	84	T	116	t
21	Neg acknowledge	NAK	53	5	85	U	117	u
22	Synchronous idle	SYN	54	6	86	V	118	v
23	End of xmit block	ETB	55	7	87	W	119	w
24	Cancel	CAN	56	8	88	X	120	x
25	End of medium	EM	57	9	89	Y	121	y
26	Substitute	SUB	58	:	90	Z	122	z
27	Escape	ESC	59	;	91	{	123	{
28	File separator	FS	60	<	92	\	124	
29	Group separator	GS	61	=	93	]	125	}
30	Record separator	RS	62	>	94	^	126	~
31	Unit separator	US	63	?	95	—	127	DEL

# ASCII Table Mapping

- Uses 7-bit encoding
- 7 bits gives  $2^7 = 128$  possible symbols
- 1981, IBM extended this to **8-bit encoding**
- To allow more space to represent characters from other languages

Dec	Name	Char	Dec	Char	Dec	Char	Dec	Char
0	Null	NUL	32	Space	64	®	96	‘
1	Start of heading	SOH	33	!“	65	A	97	a
2	Start of text	STX	34	”#	66	B	98	b
3	End of text	ETX	35	¤	67	C	99	c
4	End of xmit	EOT	36	¤	68	D	100	d
5	Enquiry	ENQ	37	¤%	69	E	101	e
6	Acknowledge	ACK	38	¤&	70	F	102	f
7	Bell	BEL	39	¤‘	71	G	103	g
8	Backspace	BS	40	¤(	72	H	104	h
9	Horizontal tab	HT	41	¤)	73	I	105	i
10	Line feed	LF	42	¤*	74	J	106	j
11	Vertical tab	VT	43	¤+	75	K	107	k
12	Form feed	FF	44	¤,	76	L	108	l
13	Carriage feed	CR	45	¤-	77	M	109	m
14	Shift out	SO	46	¤.	78	N	110	n
15	Shift in	SI	47	¤/	79	O	111	o
16	Data line escape	DLE	48	¤0	80	P	112	p
17	Device control 1	DC1	49	¤1	81	Q	113	q
18	Device control 2	DC2	50	¤2	82	R	114	r
19	Device control 3	DC3	51	¤3	83	S	115	s
20	Device control 4	DC4	52	¤4	84	T	116	t
21	Neg acknowledge	NAK	53	¤5	85	U	117	u
22	Synchronous idle	SYN	54	¤6	86	V	118	v
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26	Substitute	SUB	58	¤:	90	Z	122	z
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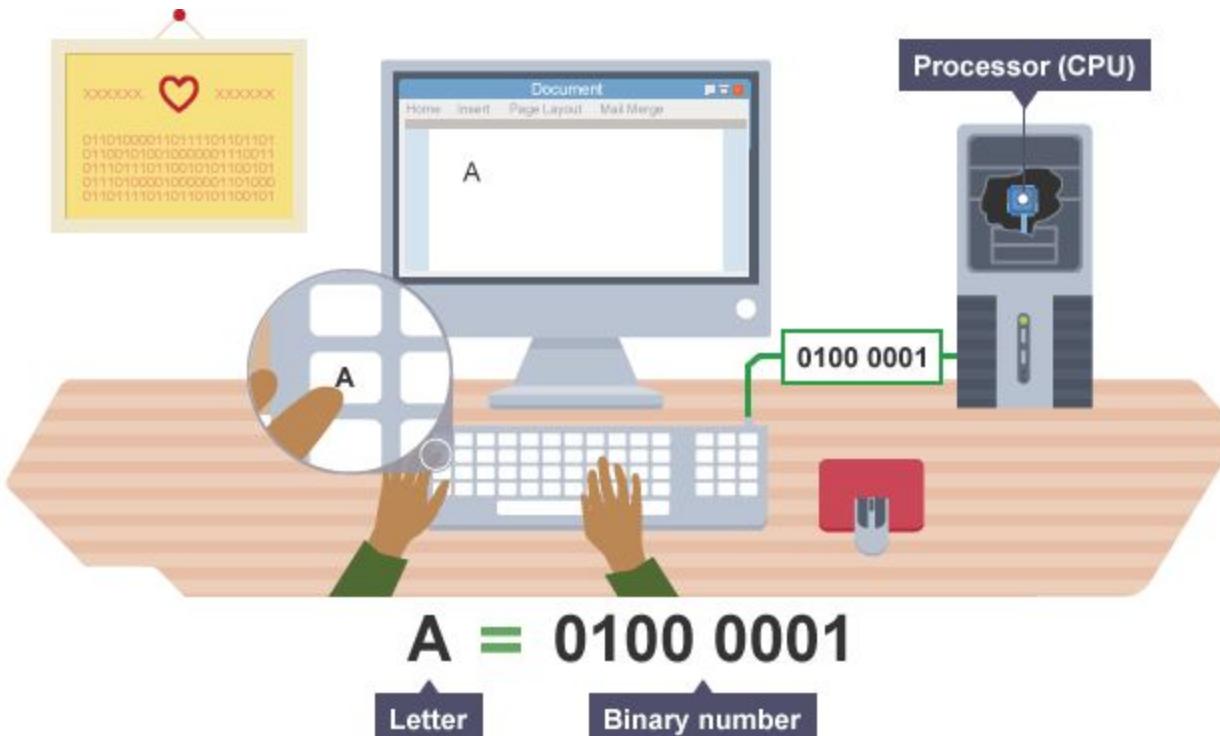
# ASCII Table Mapping

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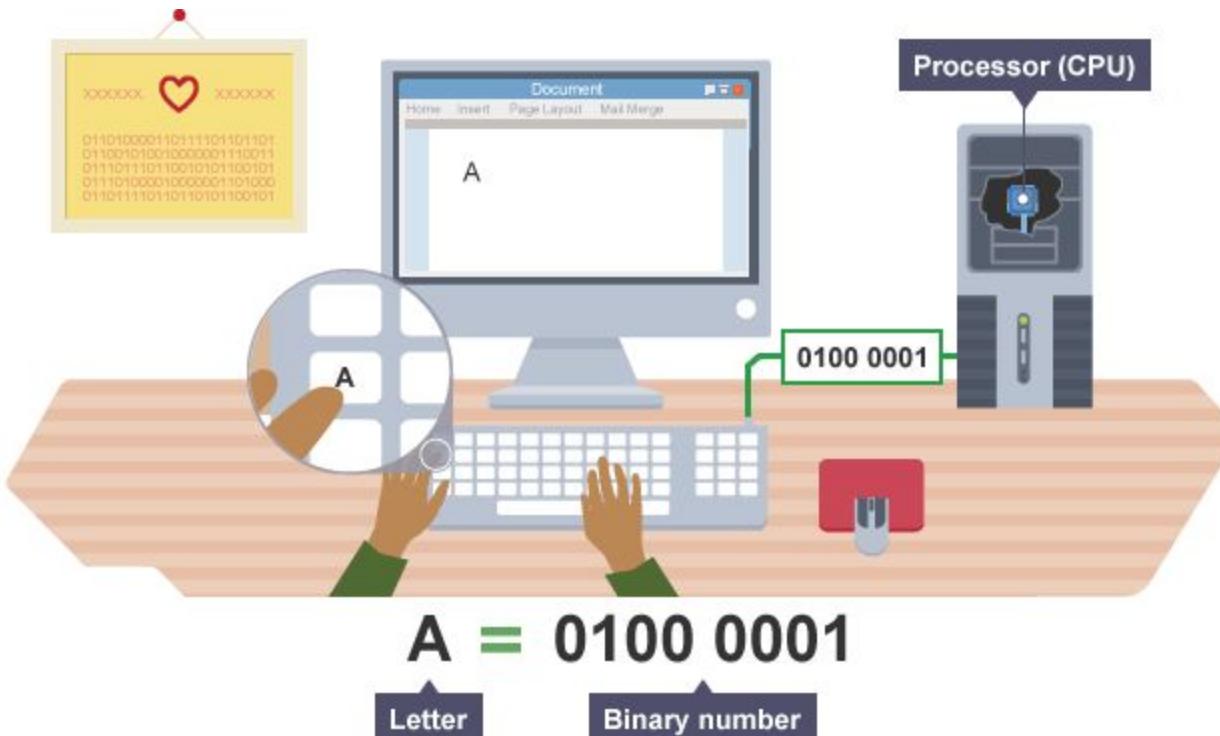
# Encoding Higher-Level Information

- ASCII or Unicode tells us how to map text to binary representation



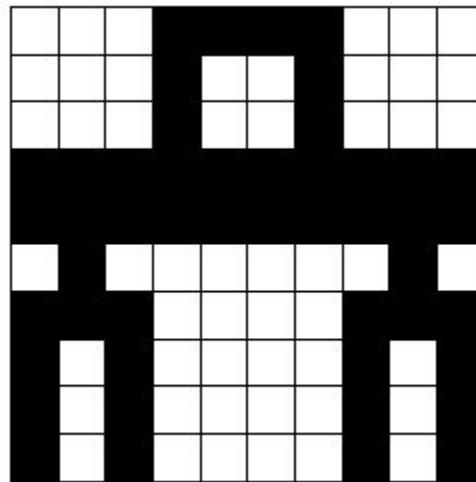
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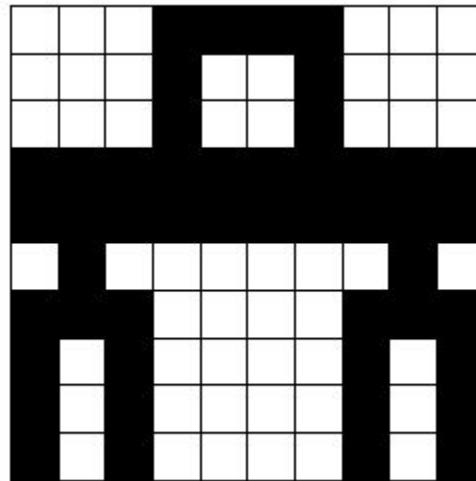
# Representing Images

- Images are made up of pixels
- Consider black and white images



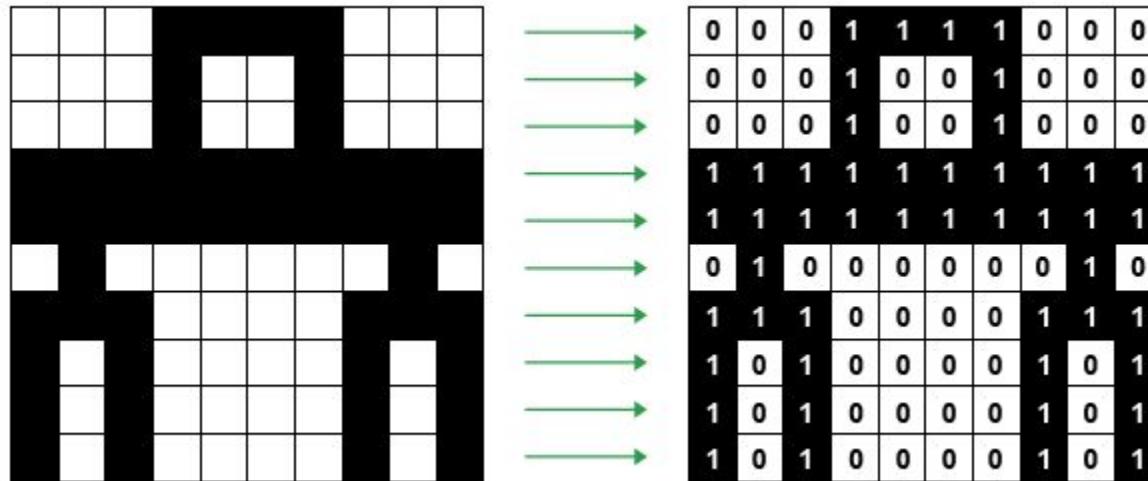
# Representing Images

- Images are made up of pixels
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- Mapping: 1 is black (or on) and 0 is white (or off)



# Representing Images

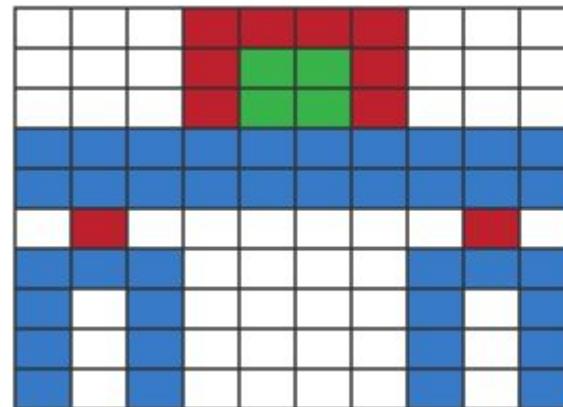
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# Representing Colours

- Suppose computers use RGB (red, green, blue)

How many bits do we need to represent these colours?



# Representing Colours

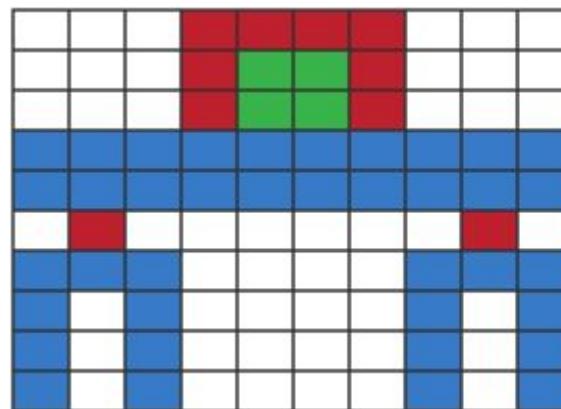
- Suppose computers use RGB (red, green, blue)
- We can use a 2-bit mapping for 4 colours:

00 = white

01 = blue

10 = green

11 = red



# Representing Colours

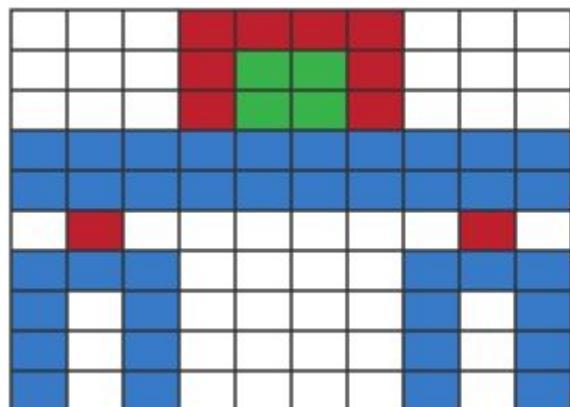
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11 = red



00	00	00	11	11	11	11	00	00	00
00	00	00	11	10	10	11	00	00	00
00	00	00	11	10	10	11	00	00	00
01	01	01	01	01	01	01	01	01	01
01	01	01	01	01	01	01	01	01	01
00	11	00	00	00	00	00	00	00	11
01	01	01	00	00	00	00	01	01	01
01	00	01	00	00	00	00	01	00	01
01	00	01	00	00	00	00	01	00	01
01	00	01	00	00	00	00	01	00	01

# Representing Colours

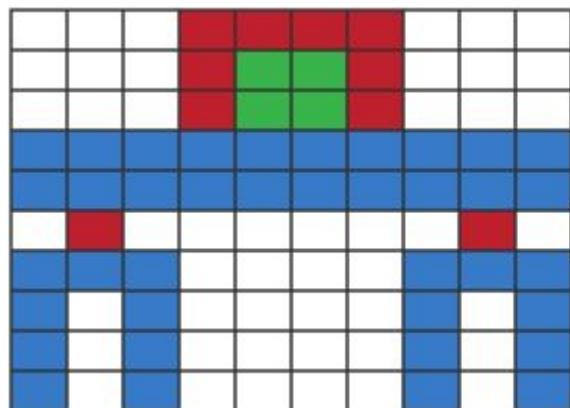
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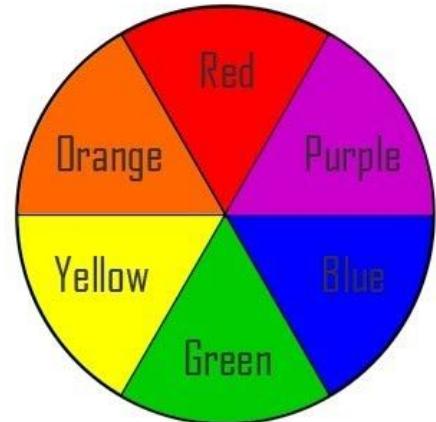


00	00	00	11	11	11	11	00	00	00
00	00	00	11	10	10	11	00	00	00
00	00	00	11	10	10	11	00	00	00
01	01	01	01	01	01	01	01	01	01
01	01	01	01	01	01	01	01	01	01
00	11	00	00	00	00	00	00	00	11
01	01	01	00	00	00	00	01	01	01
01	00	01	00	00	00	00	01	00	01
01	00	01	00	00	00	00	01	00	01
01	00	01	00	00	00	00	01	00	01

How many colours do we have, in general?

How many bits do we need, in general?

# Remember Painting?



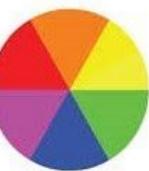
Red + Yellow = Orange

Yellow + Blue = Green

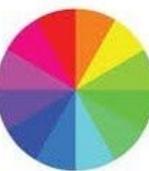
Blue + Red = Violet



Primary Colours



Secondary Colours



Tertiary Colours

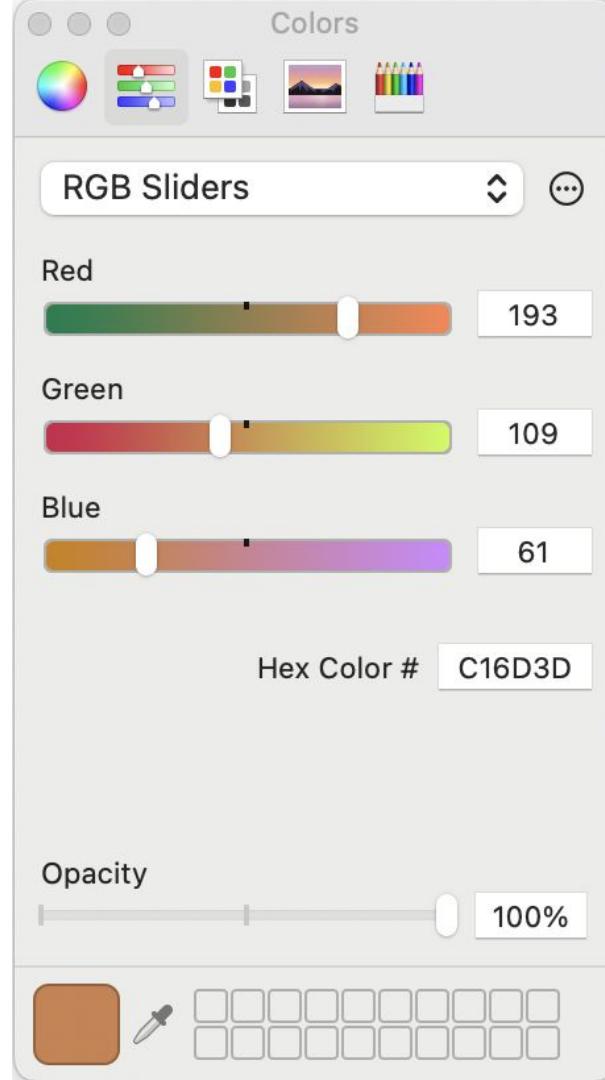
# Colour Systems

- **Red-Yellow-Blue** is a traditional pigment-based (subtractive) system used in painting for mixing physical paints
- **Red-Green-Blue** is a light-based (additive) system used for digital screens and light
  - Combines red, green, and blue light in various intensities
  - Creates a wide range of colors
  - All colors mixing to white
  - Based on how the human eye cone cells perceive colors



# Reading Colour Pickers

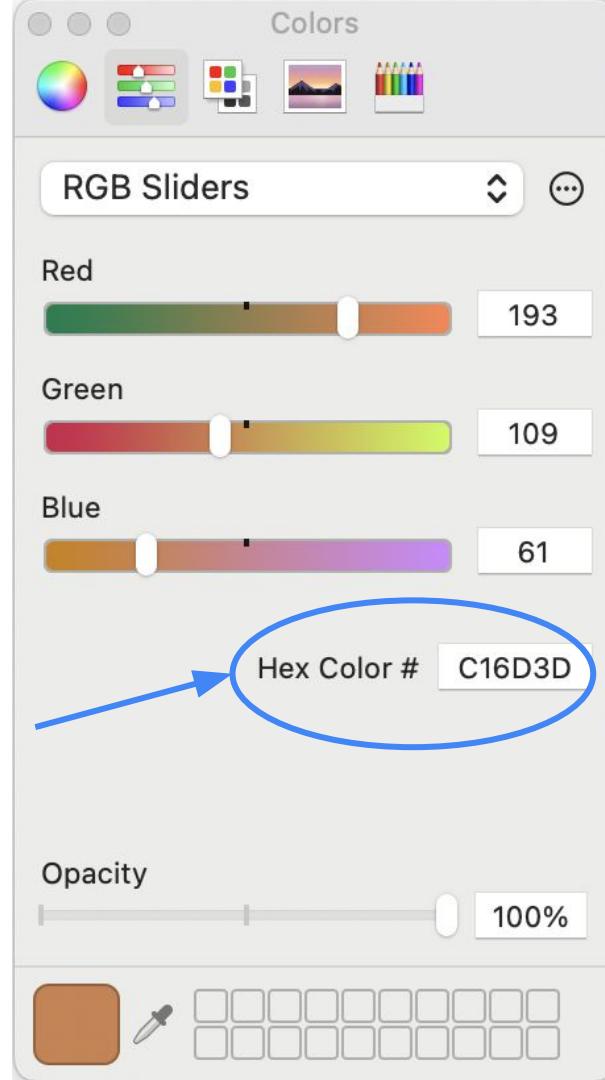
- Common format: Each of R, G, and B is stored as an 8-bit number
  - Pure red = (255, 0, 0)
  - Pure green = (0, 255, 0)
  - Pure blue = (0, 0, 255)
  - 0 means no light (dark)  
Black = (0, 0, 0)
  - 255 means full brightness  
White = (255, 255, 255)
- Gives  $256^3 = 16,777,216$  possible colors



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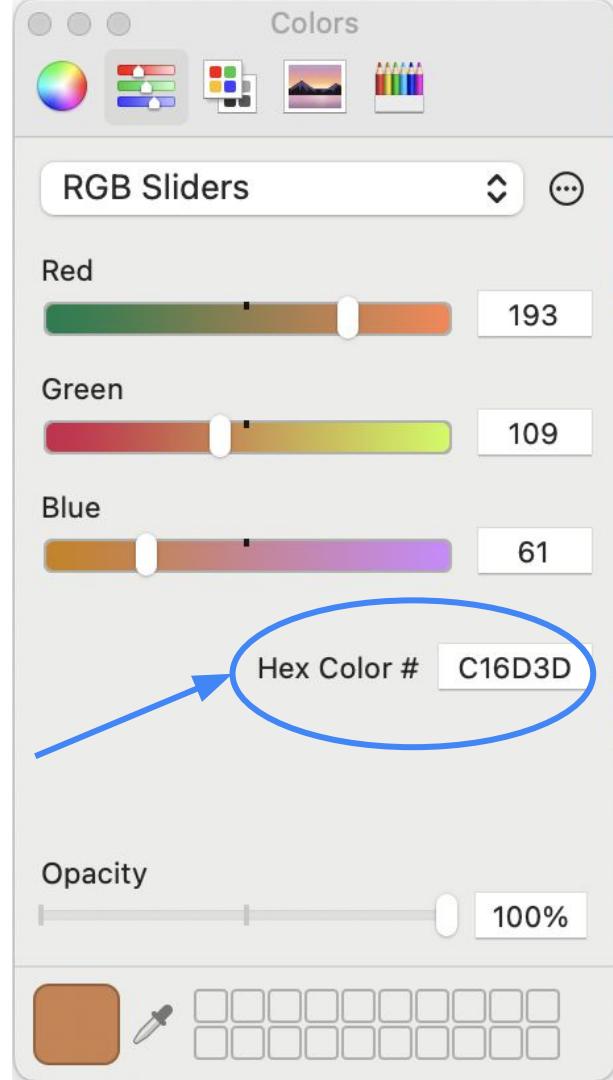
Why 6 digits?



# Reading Colour Pickers

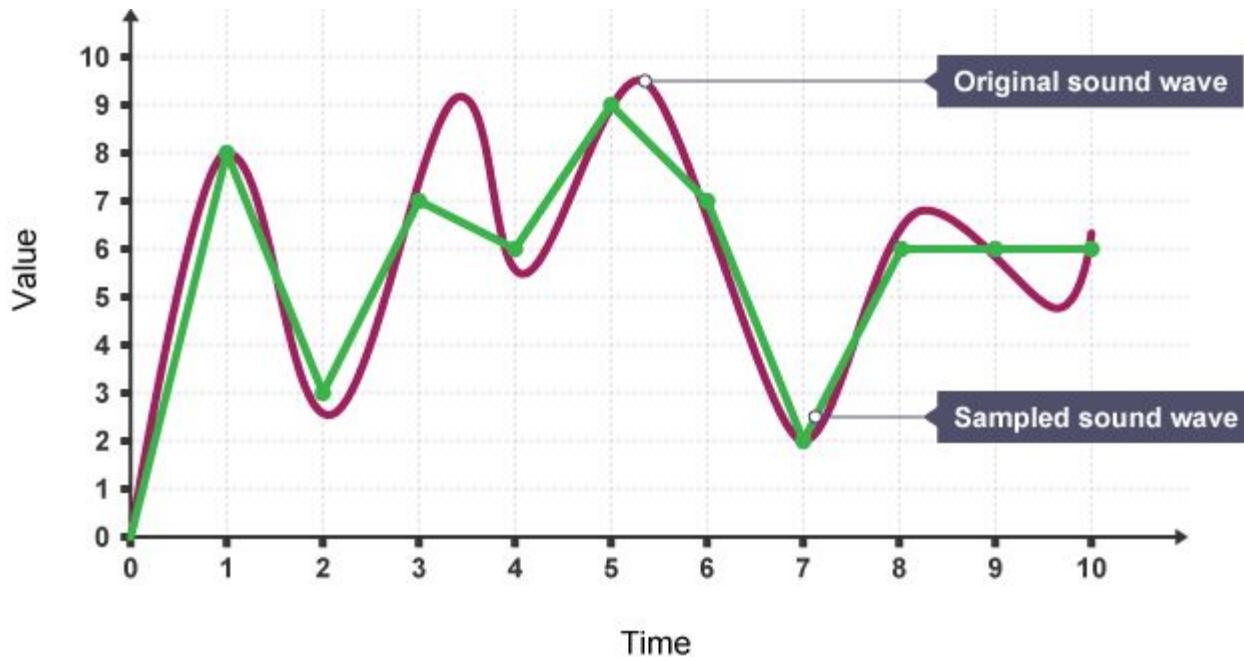
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What is 6D?  
What about FF?



# Representing Sounds

- Sound waves are captured and sampled at regular discrete points in time
- These "samples" represent the amplitude (strength) of the sound wave



# Other Systems of Data Representations

- QR Codes
- NATO broadcast alphabet
- Morse code
- ...
- Different systems used for different purposes
- Starts with basic units, then combine to create larger data items

## International Morse Code

1. The length of a dot is one unit.
2. A dash is three units.
3. The space between parts of the same letter is one unit.
4. The space between letters is three units.
5. The space between words is seven units.

